





Objectives

- •Search for $H \rightarrow Z \gamma$ using event selection cuts identical to those used by the SM Z γ group.
- •Use this analysis to study the kinematic distributions relevant for $H \rightarrow Z \gamma$ and develop techniques for suppressing the SM $Z\gamma$ background.
- •Using the standard ATLAS limit setting techniques, exercise the tools required for setting limits on a Z γ signal with this data set.

Analysis Philosophy

- Two step approach
- (1) Blinded Analysis: Reconstruct the leptons and photons using the EGamma approved selection criteria, as well as the selection used for the SM $Z\gamma$ cross-section measurement.
- (2) *Tuned Analysis:* Develop cuts motivated by the decay properties of the Higgs.



Introduction

Expectations

- •Branching fraction $\Gamma(H \rightarrow Z\gamma)$ is comparable to $\Gamma(H \rightarrow \gamma \gamma)$ at 1.553 \times 10⁻³ GeV.
- •The total final state cross-section, $\sigma(H \rightarrow l/\gamma)$, is comparable to the golden channel, $\sigma(H \rightarrow IIII)$: -~15 events using both muon and electron channels at 10 fb⁻¹ assuming 100% efficiency and acceptance.



Motivation

•The $H \rightarrow Z\gamma$ is produced via a loop of destructively interfering W/top pairs, which is the same process as $H \rightarrow \gamma \gamma$:





•There is a hint of a high branching fraction for $H \rightarrow \gamma \gamma$, so a measurement / limit of $\Gamma(H \rightarrow Z \gamma)$ would confirm or refute this observation.

In addition

- (1) All final state particles can be measured well with the ATLAS detector.
- (2) The Higgs mass can be measured from the total invariant mass spectrum. (3) The spin of the Higgs can be studied by analyzing the angular distributions of the decay
- products. (4) This channel can be used for setting limits on the Higgs coupling constants.

Search for the Standard Model Higgs Boson in the H -> Zy Decay Mode

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Methods

Object Selection

- Lepton: A pair of oppositely charged leptons each with a $p_T > 25$ GeV of the same flavor.
- -Muon: Isolated Combined and lies in the range $|\eta| < 2.4$
- -Electron: Isolated Medium++ and is contained in the fiducial region $1.52 < |\eta| < 2.47$.
- •Photon: Tight, $p_T > 15$ GeV, $|\eta| < 2.37$ excluding the crack region, isolated ($E_TCone30 > 6 \text{ GeV}$) and $\Delta R(lepton, photon) > 0.7$.

Event Selection

- •GRLs / LarError (2011)
- •Primary vertex has \geq 3 associated tracks
- Di-lepton triggers

Limit Setting Strategy

•Set the limit using SM Zy Monte Carlo: (1)Gaussian $H \rightarrow Z\gamma$ signal:

- -Width determined from the mass resolution
- -Expected signal determined from NNLO
- predictions with known branching ratios scaled by our selection's efficiency
- (2) Polynomial Background
- -Remove the signal region from data and fit a second degree polynomial to the remaining data points.

Results

Zy Mass Distributions

- •Distributions of the invariant mass of the Zγ system for 2011 (top) and 2012 (bottom) in the electron channel.
- •A Sherpa $Z\gamma$ + 0-3 jets Monte Carlo sample (white histogram) is compared with the 2011 data. The Monte Carlo is normalized to the 4.9 fb⁻¹ of luminosity delivered by the ATLAS detector in 2011.
- Good agreement between theory and data is seen in the electron channel. The large agreement between the signal Monte Carlo and the data indicates a low background rate for the Zγ signal.
- •However, no clear signal for a SM Higgs boson is seen.



Backgrounds
at 7, production

Direct Zy production $Z\gamma$ production due to fragmentation

Z+jets

t-tbar

Z →tau tau

Other electroweak backgrounds

 Two oppositely charged leptons One good and isolated photon • $\Delta R(lepton, photon) > 0.7$

P-Value Calculation

Test Statistic: Profile Likelihood Ratio

$$\lambda(\mu) = \frac{L(\mu, \hat{\hat{\theta}})}{L(\hat{\mu}, \hat{\theta})} \rightarrow \text{Fix } \mu, \text{ fit } \theta$$
where

where

$$L(\mu, \theta) = \prod_{i=1}^{m} \frac{(\mu s_i + b_i)^{n_i^{obs}}}{n_i^{obs}!} e^{-(\mu s_i + b_i)}$$





Boson in the Over Looked Channel, arXiv:1112.1405v2 [hep-ph]